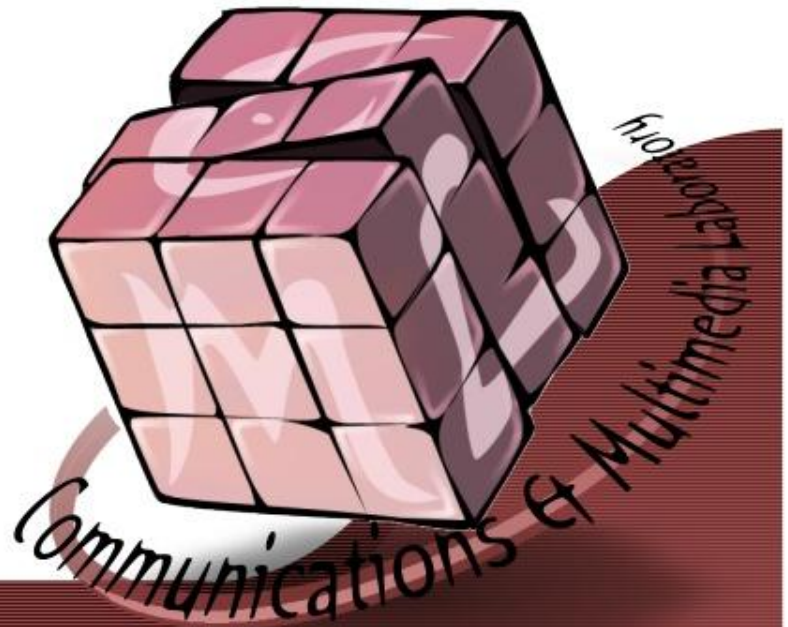


View-Dependent Refinement of Progressive Meshes

Hughes Hoppe
Microsoft Research





Author



- Hughes Hoppe





Outline

- Introduction
- Selective Refinement Framework
- Refinement Criteria
- Algorithm
- Rendering
- Result



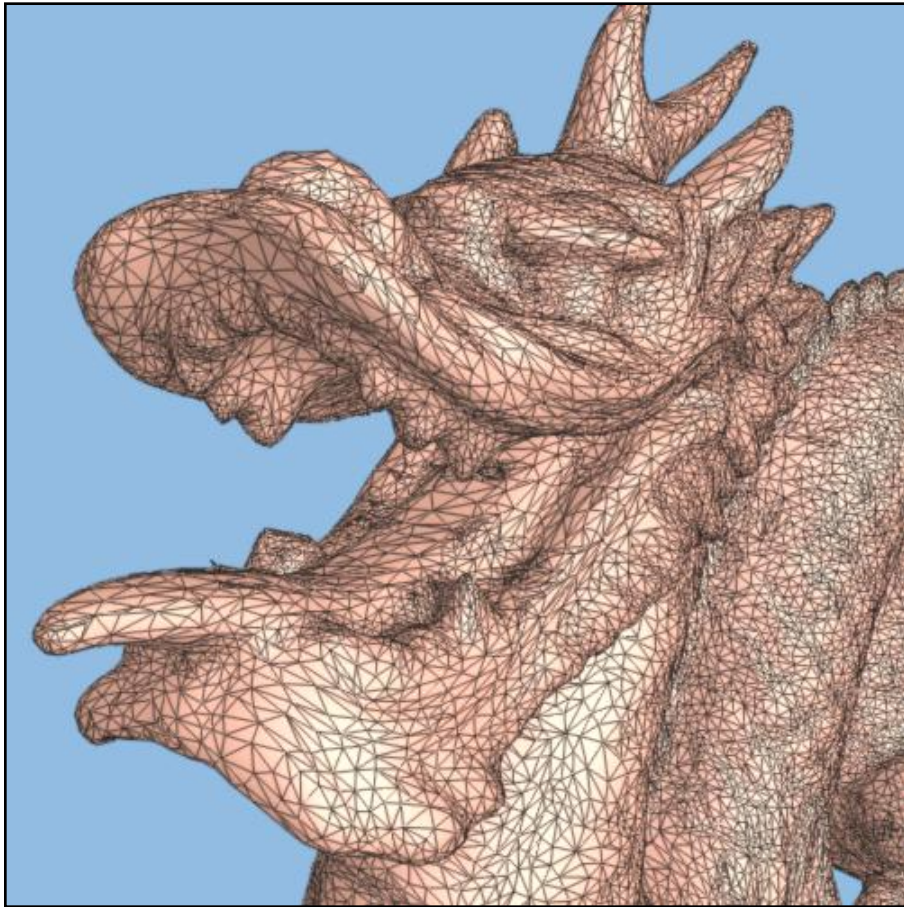


Introduction

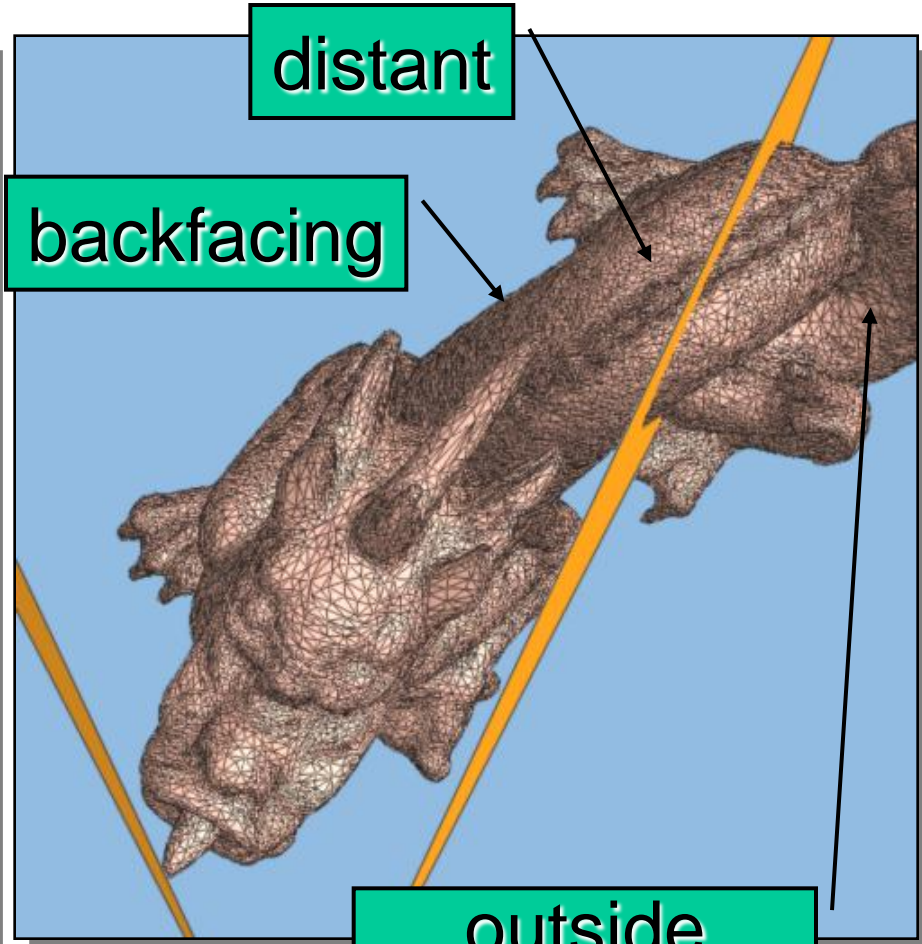
- Presenting a framework for real-time selective refinement of arbitrary progressive meshes.



View-Independent LOD

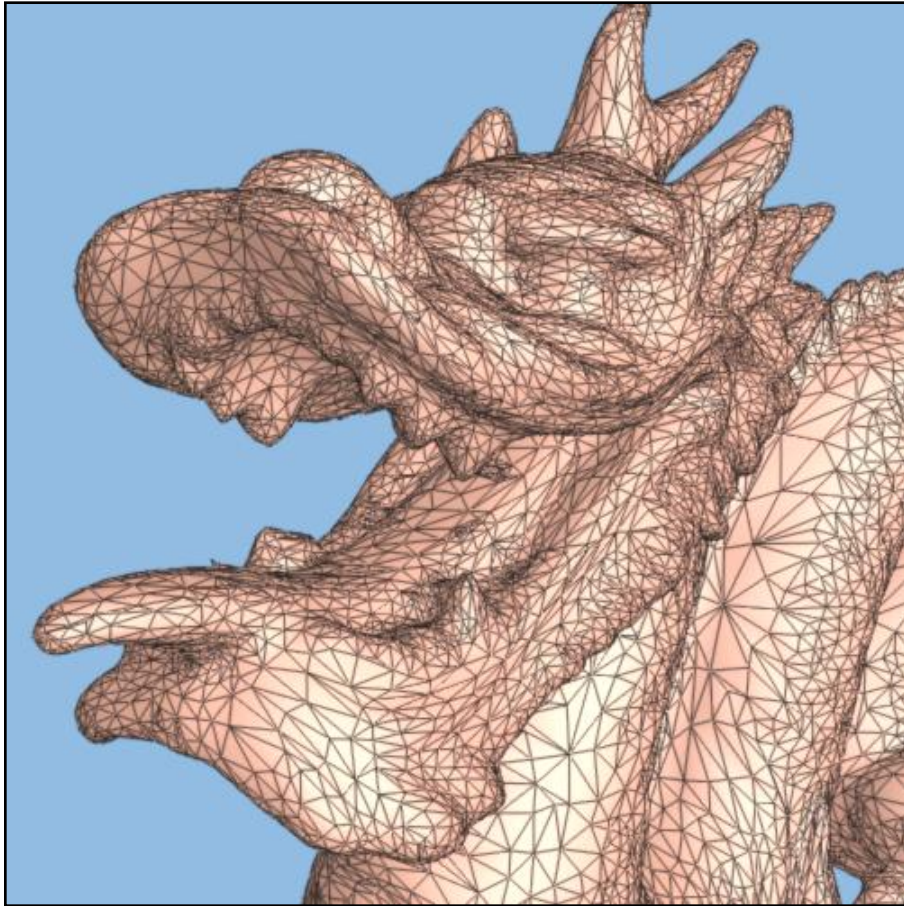


100,000 faces

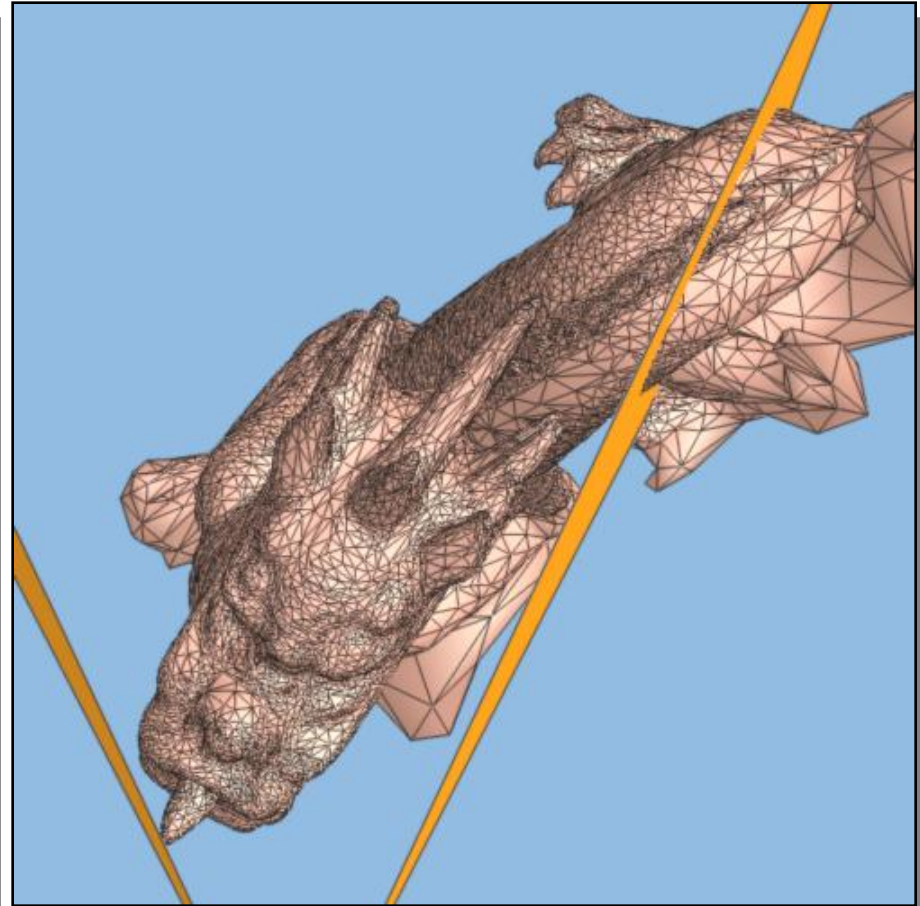


outside view frustum

View-dependent LOD



29,400 faces

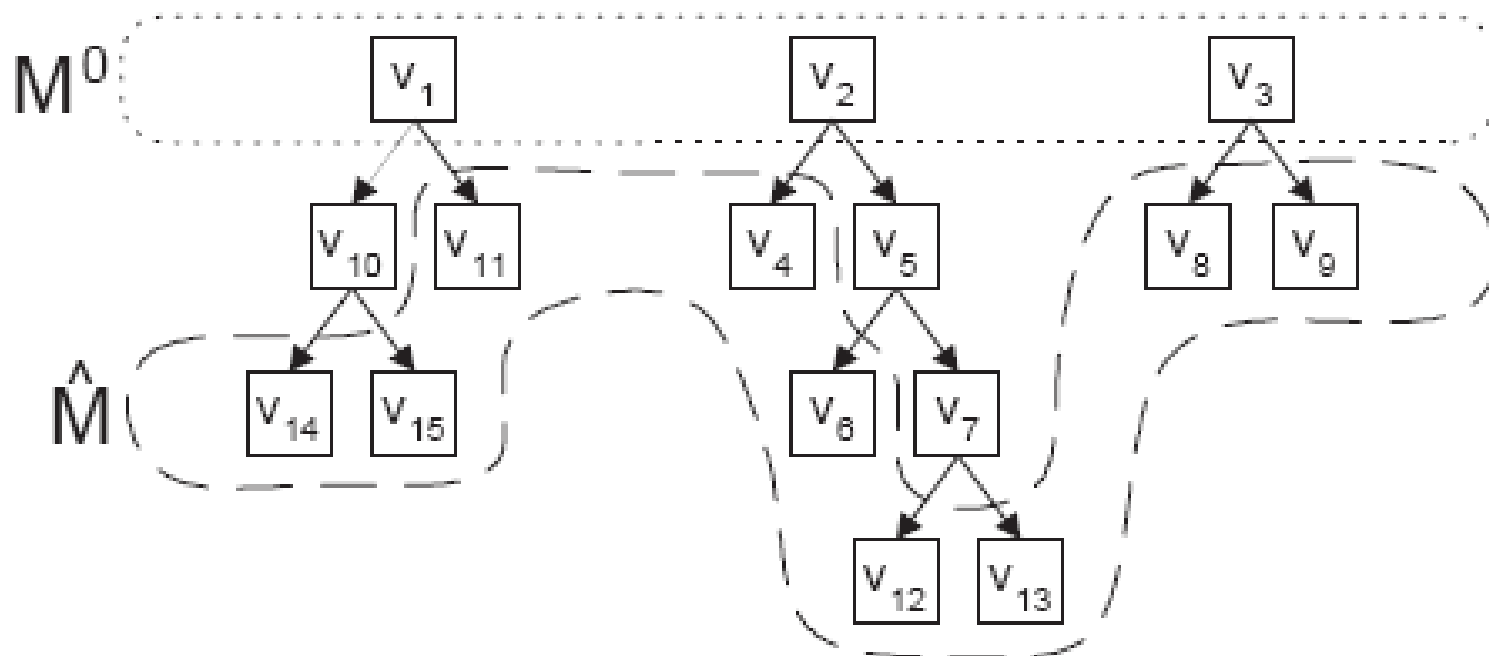


different LOD's coexist
over surface

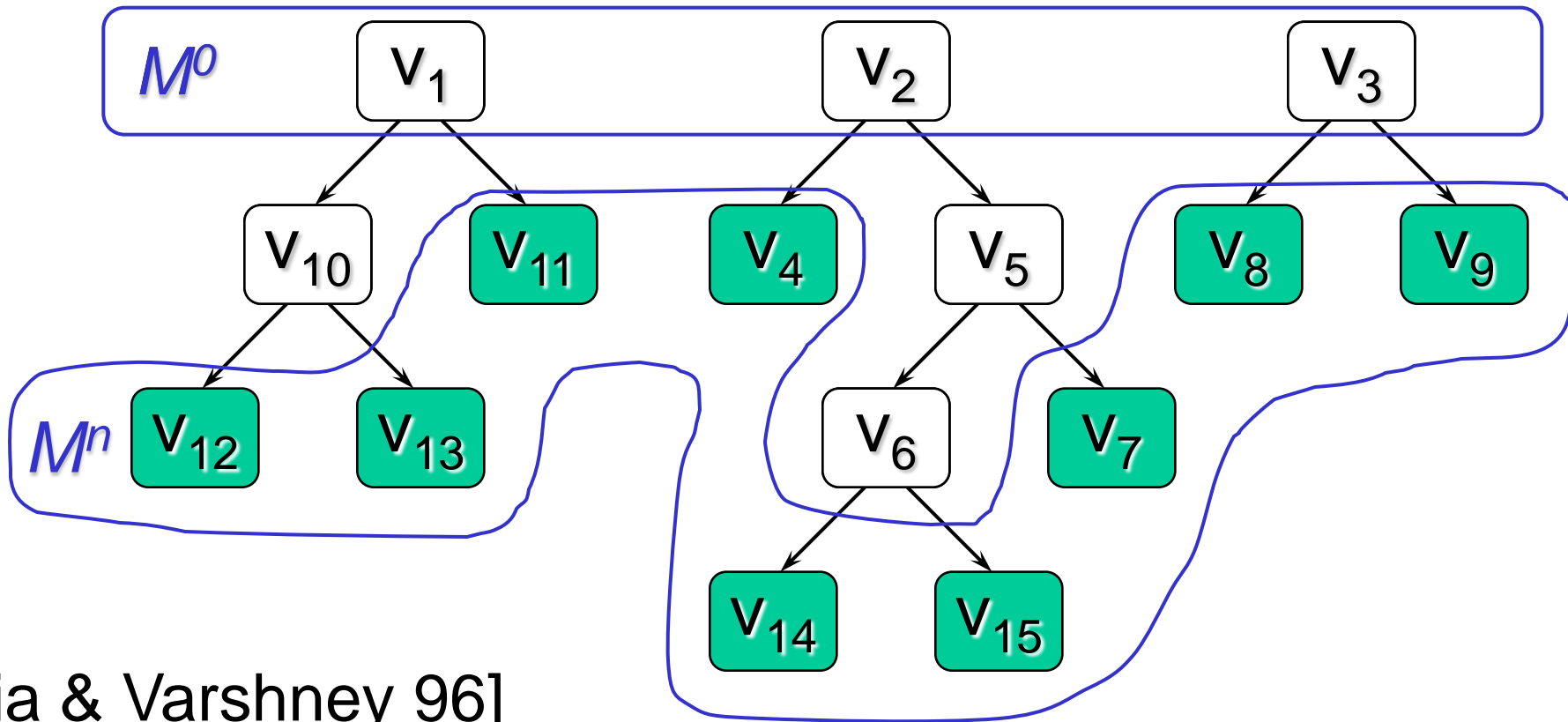
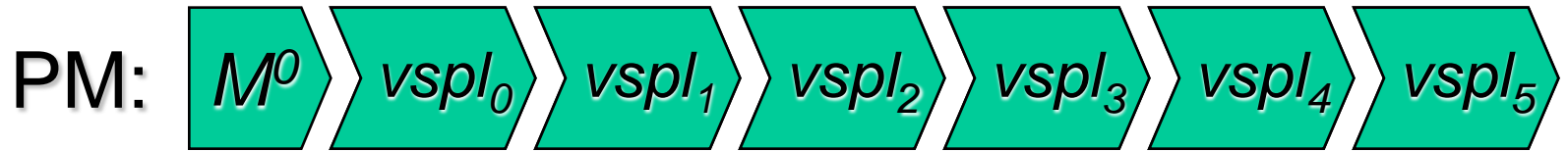


Selective Refinement Framework

- Vertex hierarchies

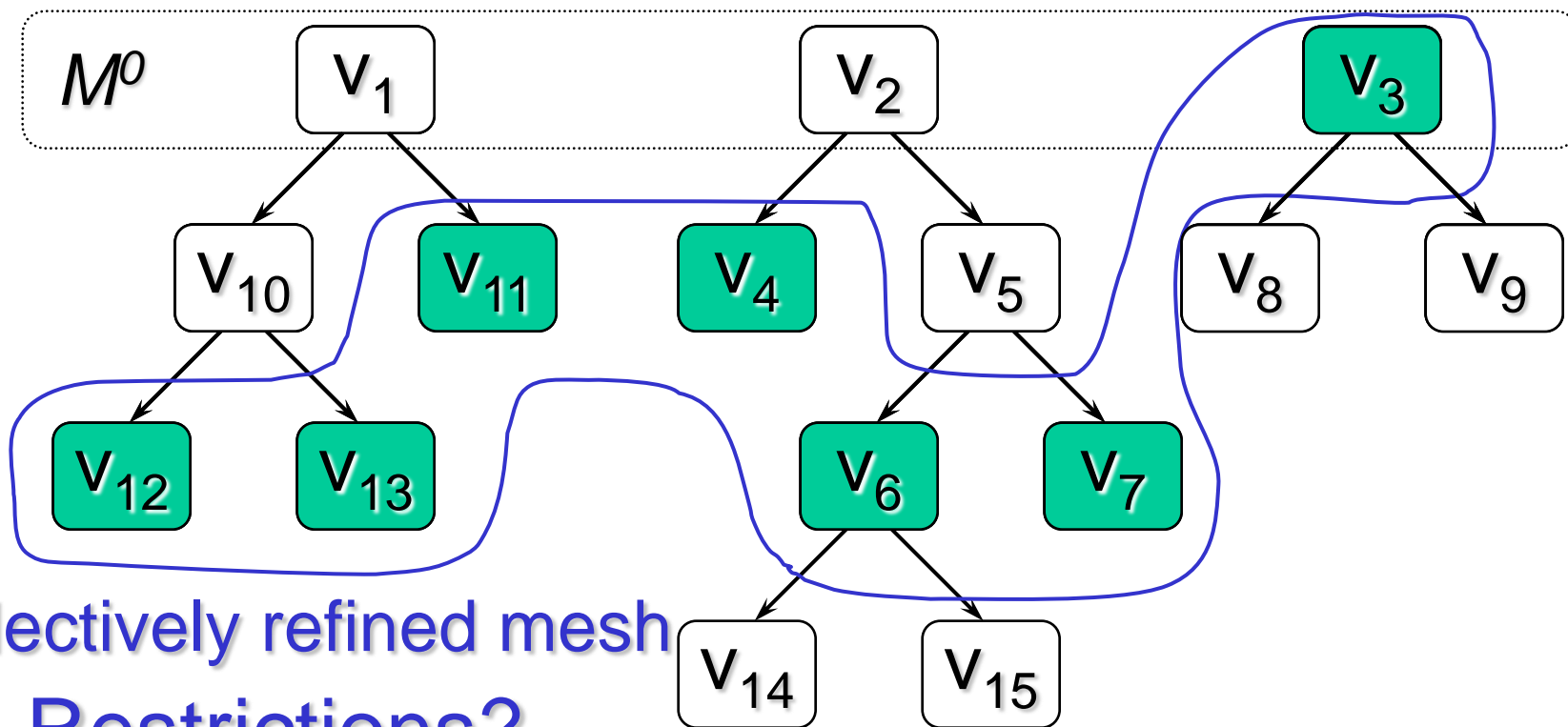


Vertex hierarchy



[Xia & Varshney 96]

Selective refinement

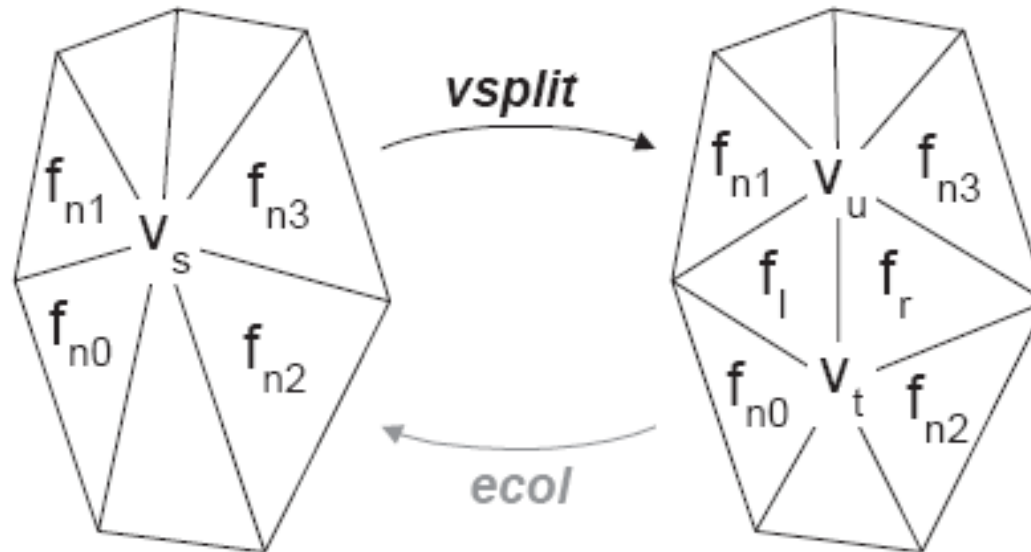


selectively refined mesh
Restrictions?



Selective Refinement Framework

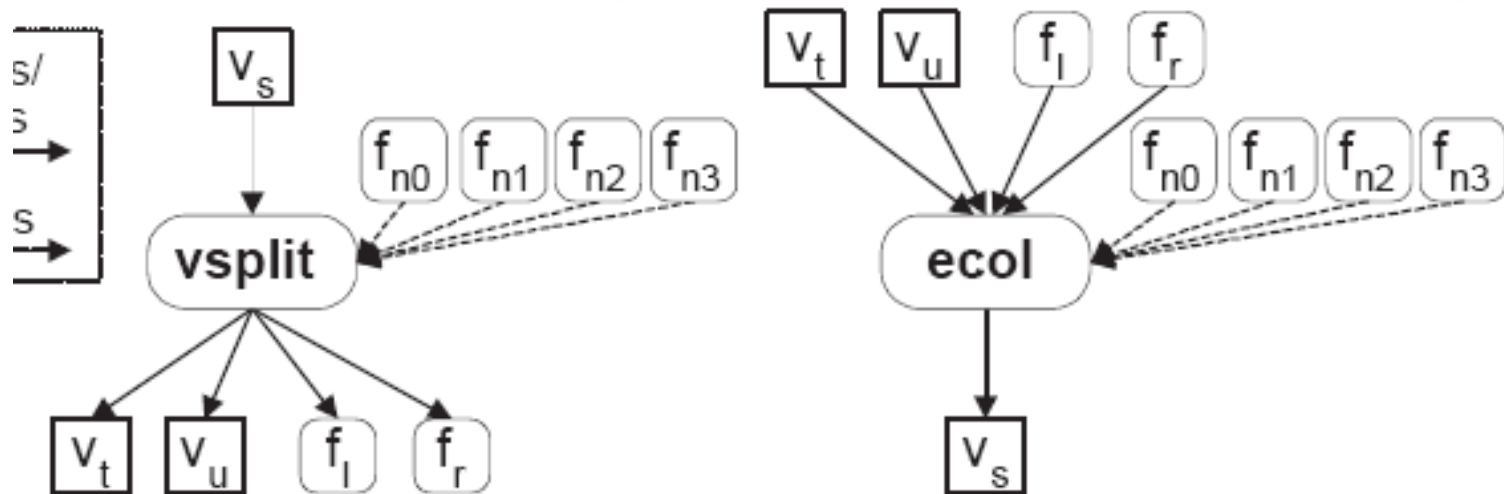
\mathcal{M} : The set of all meshes M^s produced from M^0 by a subsequence S of legal vsplit transformations.





Selective Refinement Framework

- We define a set of preconditions for *vsplit* and *ecol* to be legal.





Selective Refinement Framework

```

struct ListNode {
    ListNode* next;           // Node possibly on a linked list
    ListNode* prev;         // 0 if this node is not on the list
};

struct Vertex {
    ListNode active;        // list stringing active vertices V
    Point point;
    Vector normal;
    Vertex* parent;        // 0 if this vertex is in  $M^0$ 
    Vertex* vt;            // 0 if this vertex is in  $\hat{M}$ ; ( $vu=vt+1$ )
    // Remaining fields encode vsplit information, defined if  $vt \neq 0$ .
    Face* fl;              // ( $fr=fl+1$ )
    Face* fn[4];           // required neighbors  $f_{n0}, f_{n1}, f_{n2}, f_{n3}$ 
    RefineInfo refine_info; // defined in Section 4
};
  
```





Selective Refinement Framework

```

struct Face {
    ListNode active;           // list stringing active faces  $F$ 
    int matid;                // material identifier
    // Remaining fields are used if the face is active.
    Vertex* vertices[3];      // ordered counter-clockwise
    Face* neighbors[3];      // neighbors[ $i$ ] across from vertices[ $i$ ]
};

struct SRMesh {              // Selectively refinable mesh
    Array<Vertex> vertices;    // set  $\mathcal{V}$  of all vertices
    Array<Face> faces;        // set  $\hat{F}$  of all faces
    ListNode active_vertices; // head of list  $V \subseteq \mathcal{V}$ 
    ListNode active_faces;    // head of list  $F \subseteq \hat{F}$ 
};
  
```





Refinement criteria

function qrefine(v_s)

// Refine only if it affects the surface within the view frustum.

if outside_view_frustum(v_s) **return** false

// Refine only if part of the affected surface faces the viewer.

if oriented_away(v_s) **return** false

// Refine only if screen-projected error exceeds tolerance τ .

if screen_space_error(v_s) $\leq \tau$ **return** false

return true





Refinement criteria

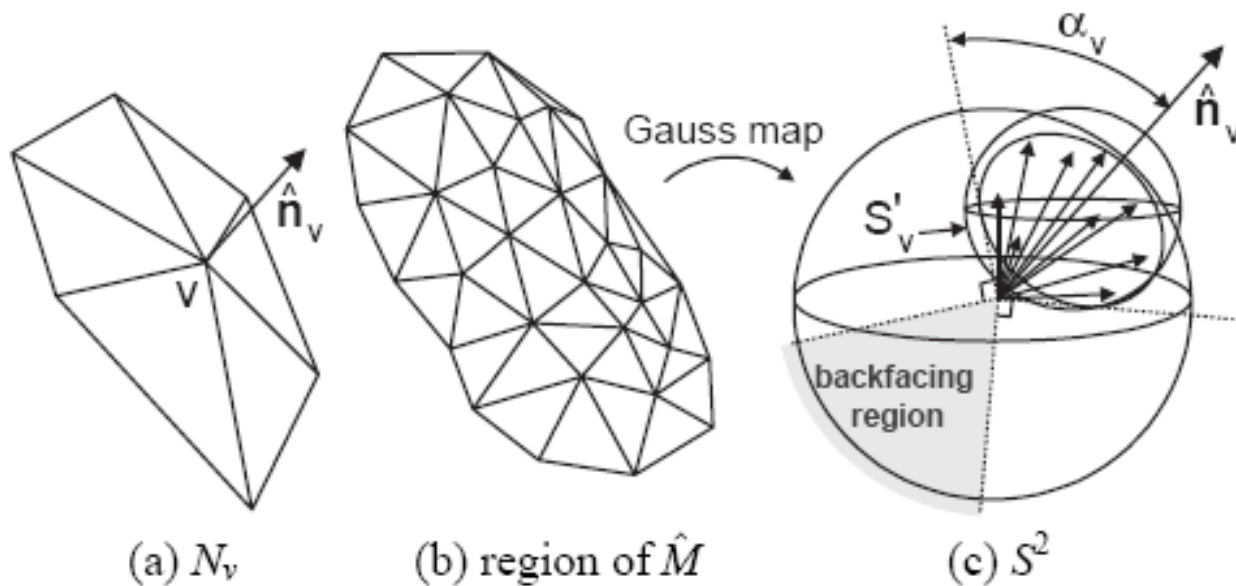
- View frustum
- Use bounding sphere





Refinement criteria

- Surface orientation
- Consider the space of normals





Refinement criteria

$$\frac{\mathbf{a}_v - \mathbf{e}}{\|\mathbf{a}_v - \mathbf{e}\|} \cdot \hat{\mathbf{n}}_v > \sin \alpha_v$$

$$\frac{a_v - e}{\|a_v - e\|} \cdot \hat{n}_v > \cos\left(\frac{\pi}{2} - \alpha_v\right) = \sin \alpha_v$$

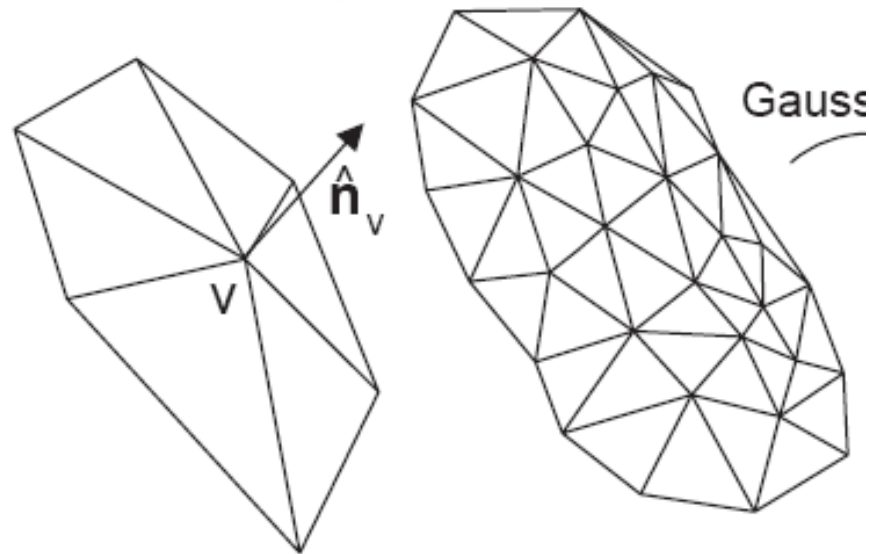
$$(\mathbf{v} - \mathbf{e}) \cdot \hat{\mathbf{n}}_v > 0 \quad \text{and} \quad ((\mathbf{v} - \mathbf{e}) \cdot \hat{\mathbf{n}}_v)^2 > \|\mathbf{v} - \mathbf{e}\|^2 \sin^2 \alpha_v$$





Refinement criteria

- Screen-space geometric error



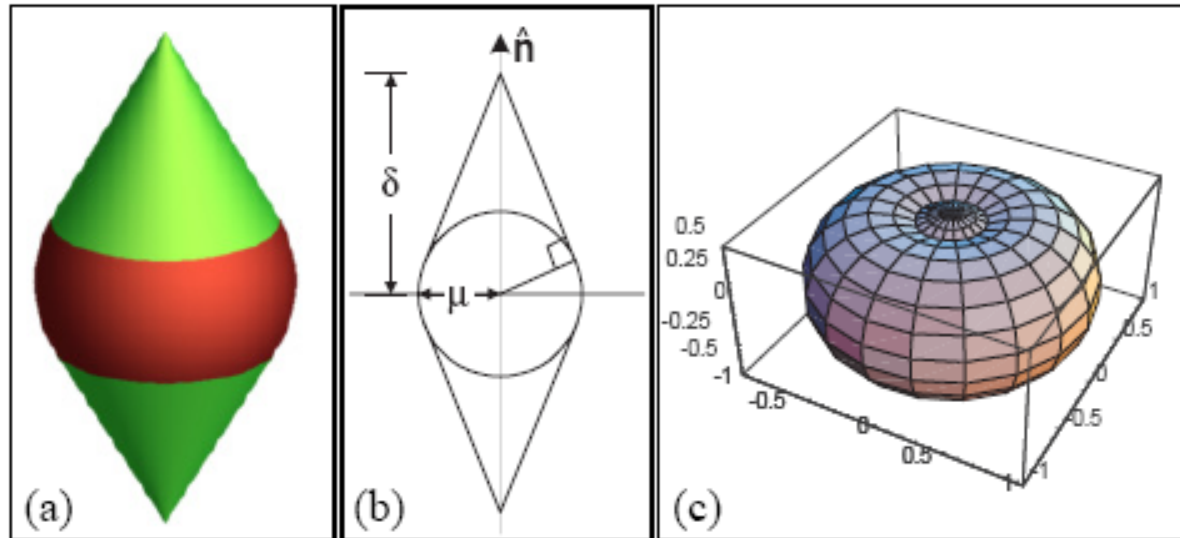
(a) N_v

(b) region of \hat{M}





Refinement criteria





```

procedure adapt_refinement()
  for each  $v \in V$ 
    if  $v.vt$  and  $qrefine(v)$ 
      force_vsplitt( $v$ )
    else if  $v.parent$  and  $ecol\_legal(v.parent)$  and
      not  $qrefine(v.parent)$ 
       $ecol(v.parent)$  // (and reconsider some vertices)

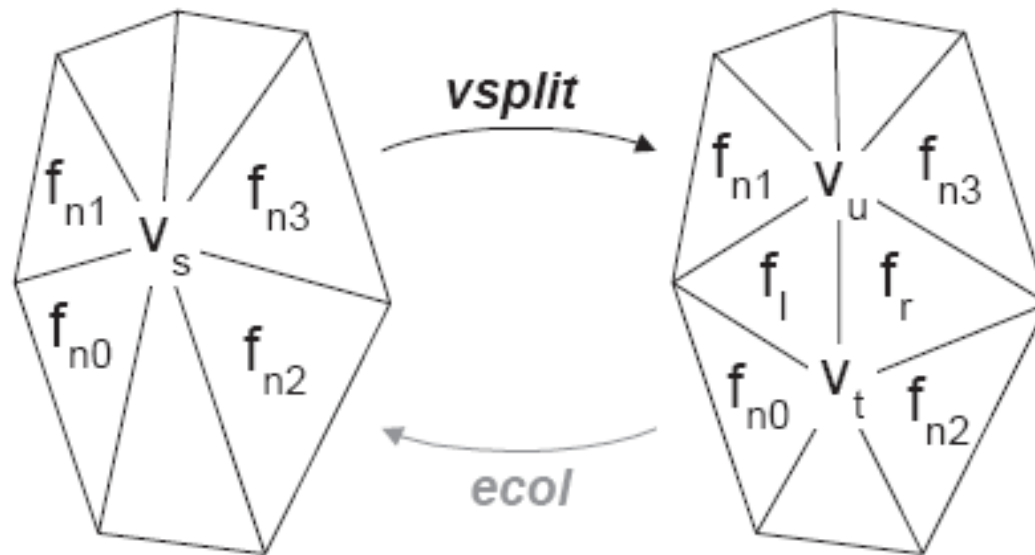
procedure force_vsplitt( $v'$ ) {
   $stack \leftarrow v'$ 
  while  $v \leftarrow stack.top()$ 
    if  $v.vt$  and  $v.fl \in F$ 
       $stack.pop()$  //  $v$  was split earlier in the loop
    else if  $v \notin V$ 
       $stack.push(v.parent)$ 
    else if  $vsplit\_legal(v)$ 
       $stack.pop()$ 
       $vsplitt(v)$  // (placing  $v.vt$  and  $v.vu$  next in list  $V$ )
    else for  $i \in \{0 \dots 3\}$ 
      if  $v.fn[i] \notin F$ 
        // force vsplitt that creates face  $v.fn[i]$ 
         $stack.push(v.fn[i].vertices[0].parent)$ 

```





Algorithm





Algorithm

- The number of active faces can vary dramatically depending on the view.
- We can change tolerance τ

$$\tau_t = \tau_{t-1} (|F_{t-1}| / m)$$

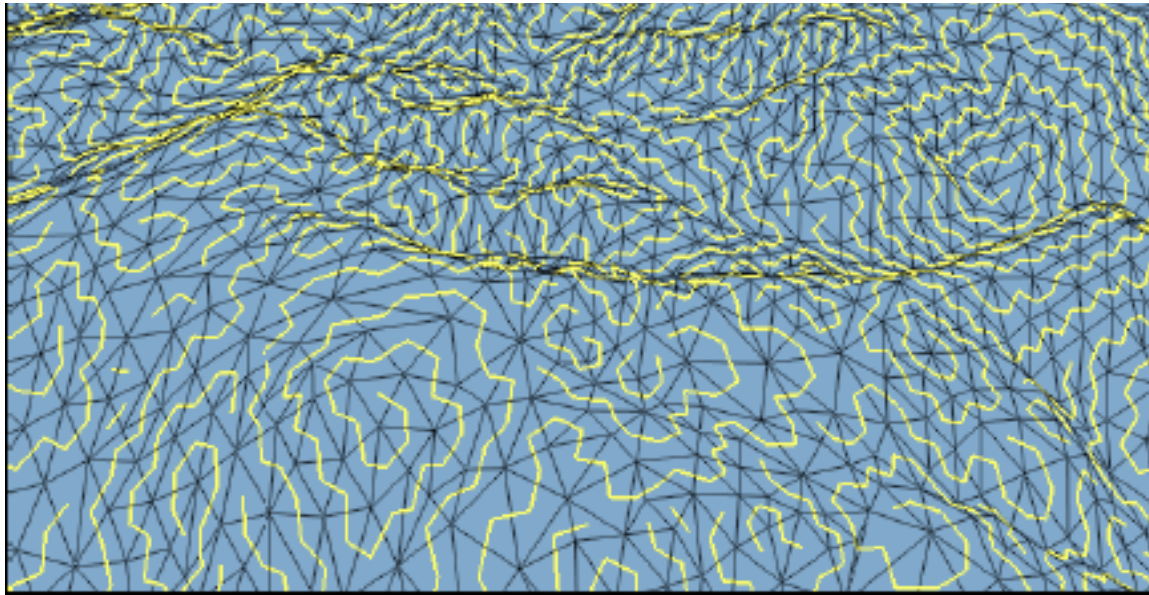
- m : desired number of faces.





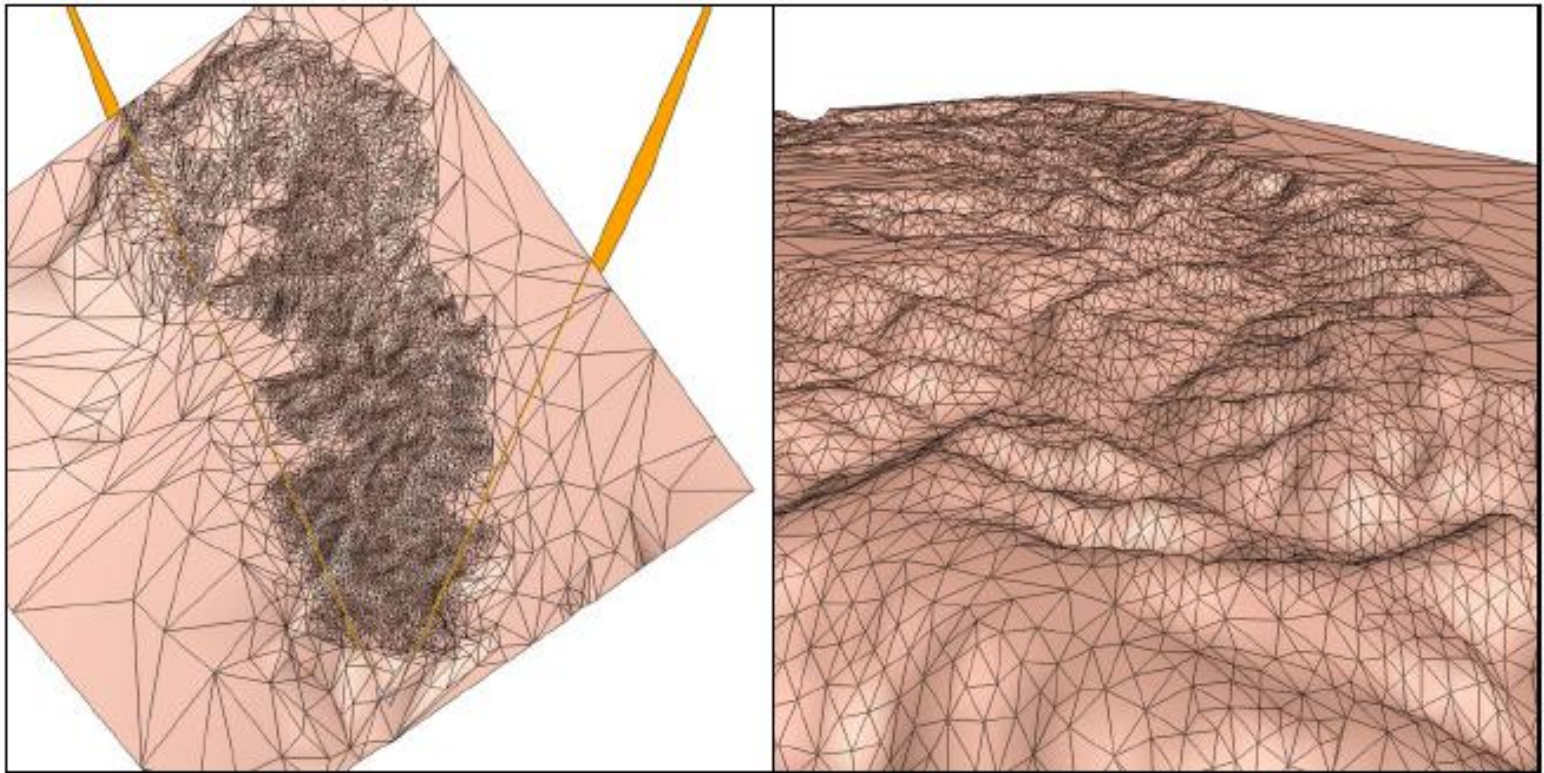
Rendering

- Use triangle strip to achieve optimal rendering performance.





Result

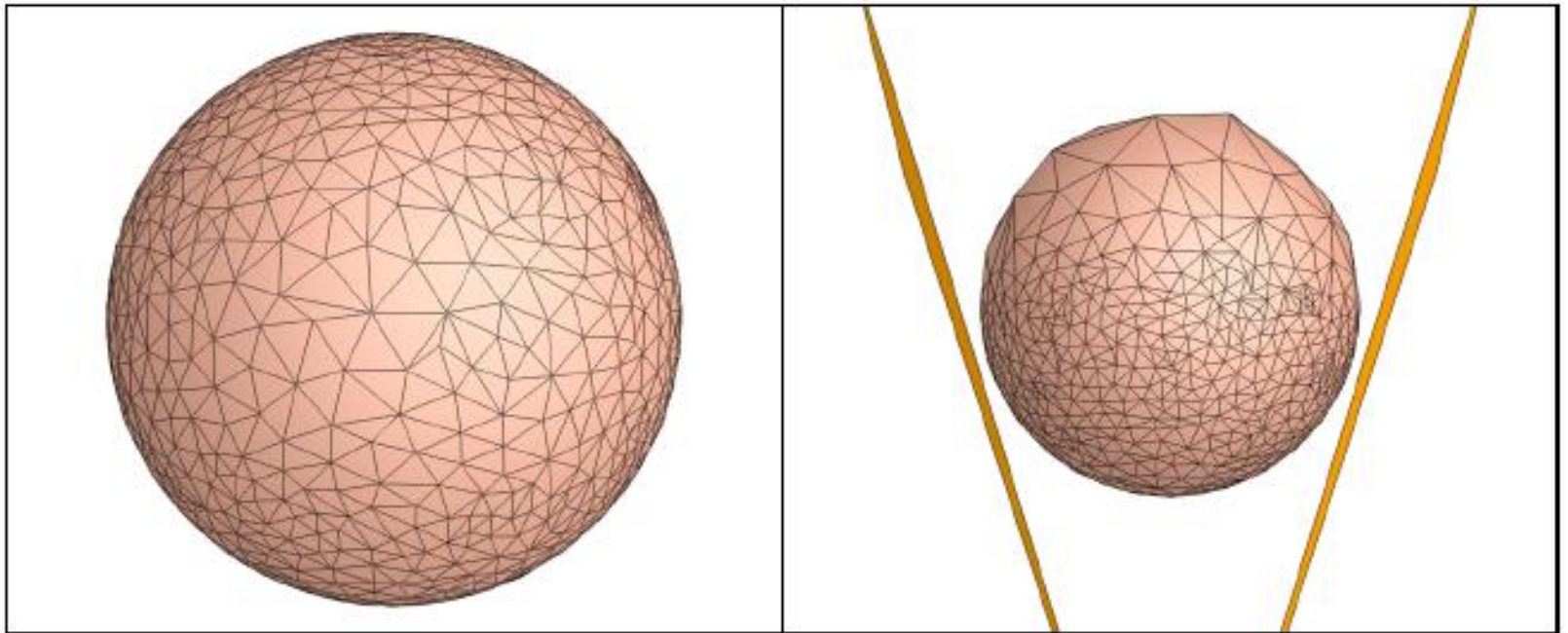


(b) Top and regular views ($\tau=0.33\%$; 10,013 faces)





Result



(b) Front view and (c) Top view ($\tau=0.075\%$; 1,422 faces)

